

# Solar Neutrino Flux Variability

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Brief review of evidence from radiochemical experiments

New evidence from Super-Kamiokande

## Framework

Solar neutrino flux variations

Quick sampling of evidence here

P. Sturrock, M. Weber, G. Walther, J. Scargle, M. Wheatland

Need  $\nu$  transition magnetic moment:  $\nu_e^L \rightarrow \nu_i^R$  ( $i = \mu, \tau, s$ )

If KamLAND is correct, this  $\uparrow$  must be subdominant

Spin-Flavor-Precession (SFP) - Akhmedov, Pulido (now Pulido)

To near-LMA, add SFP transitions to  $\nu_s$  (sterile mass state)

Like de Holanda, Smirnov for better data fit (mixing  $\rightarrow$  SFP)

Resonant-Spin-Flavor-Precession (RSFP) - fits beat LMA

Sterile state has  $\Delta m^2/E = 2\sqrt{2} G_F N_{\text{eff}} \cdot 10^{-14} \text{ eV}$  for data fit

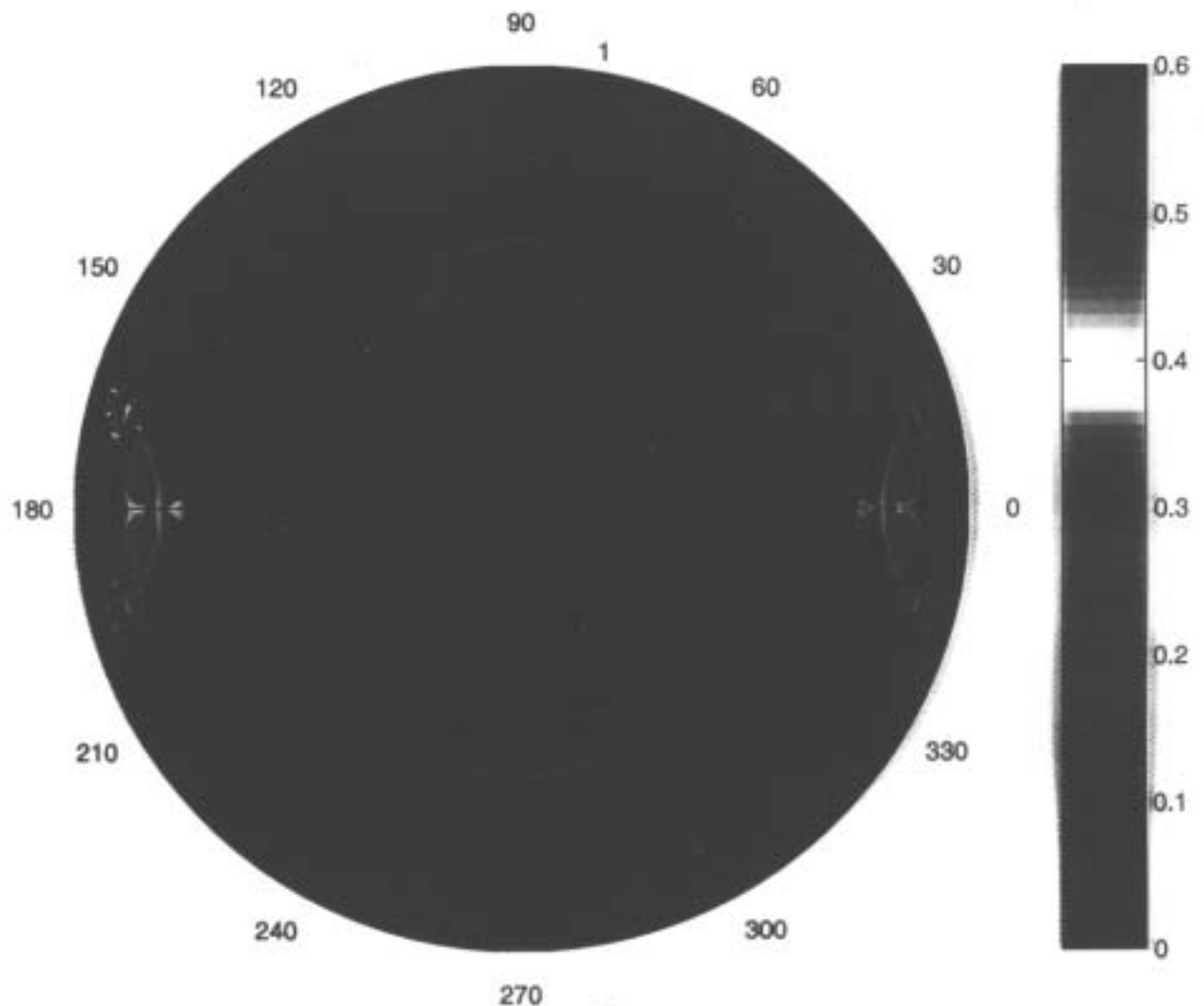
In series with near-LMA MSW, but farther out in the Sun

Favored over SFP by flux variability data

In either case, subdominance requires a sterile neutrino

# Locating the $13.6 \text{ y}^{-1}$ Modulation in the Sun

Use GALEX data with SOHO-MDI rotation profile



Resonance (red) in  $\Xi(r, \lambda) = \int_{\nu_a}^{\nu_b} S(\nu) P(\nu | r, \lambda) d\nu$  gives loca

# Work of Sturrock and Collaborators

## Homestake

Are Cl data compatible with a constant  $\nu_e$  flux?

Compared  $10^7$  10<sup>2</sup>-run simulated data...

Constant flux rejected at  $\approx 99.9\%$  confidence...

Time-power spectrum analysis—what frequencies?

12.88  $y^{-1}$  (26.4 d) dominant frequency...

12.88, 13.85, 14.20  $y^{-1}$  ... to Sun's tilt...

... resulting from ...

SA: ...

Also 12.88, but 13.59  $y^{-1}$  (26.9 d) dominant and equatorial.

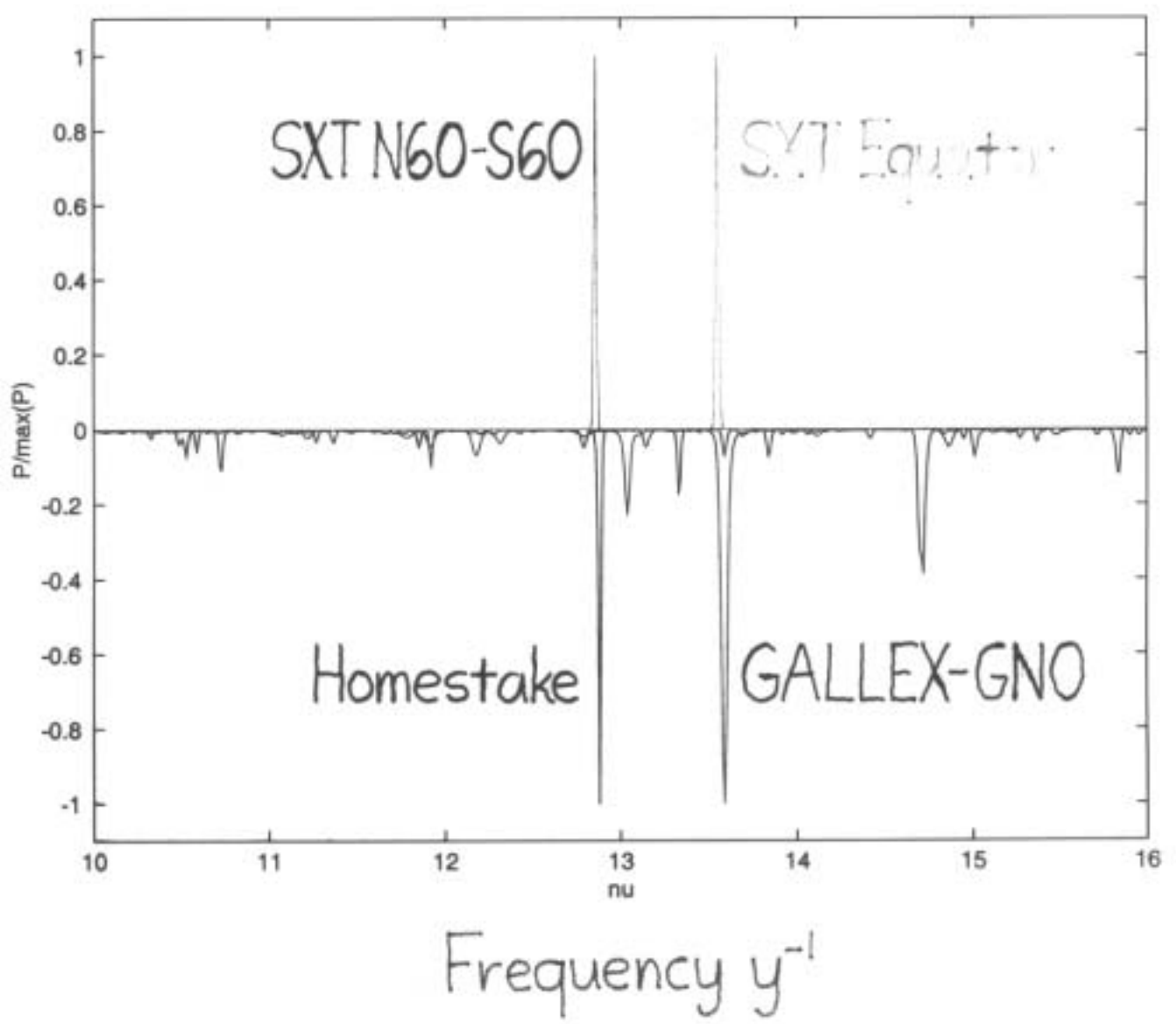
Joint analysis with Homestake: stronger 13.59 evidence.

Same frequencies seen in X-rays (SXT on Yohkoh space).

12.86  $\pm$  0.02  $y^{-1}$  at high latitudes

13.55  $\pm$  0.02  $y^{-1}$  at the equator

# Time Spectra Normalized Probability Distribution Function



## Location of the Resonance

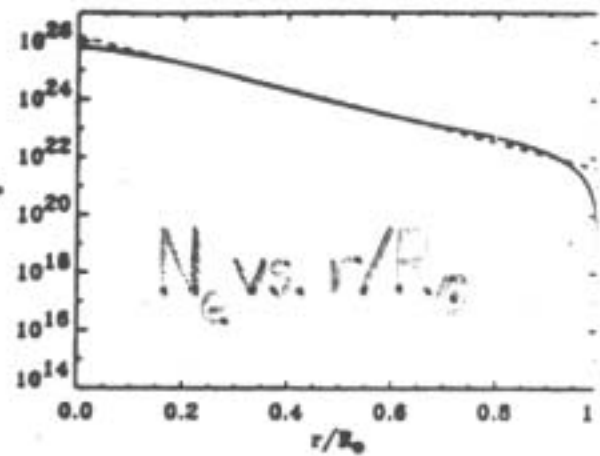
SOHO/MDI helioseismology convoluted with GALLEX-GNO data

SOHO/MDI  $(\nu, \lambda)$  matching Ga  $(\nu)$

Near equator at  $r = 0.8 R_{\odot}$

Locating  $\nu = 13.6 \text{ y}^{-1}$  determines  $\frac{\Delta m^2}{E}$

$$\frac{\Delta m^2}{E} = 2\sqrt{2} G_F (N_e - N_n) = 1 \times 10^{-14} \text{ eV}$$



Recall  $\nu_e$  survival probability for RSFP fit

Exactly the  $\Delta m^2/E$  needed

Exponential  $(N_e - N_n)$  vs.  $r$  could give very different  $\Delta m^2/E$

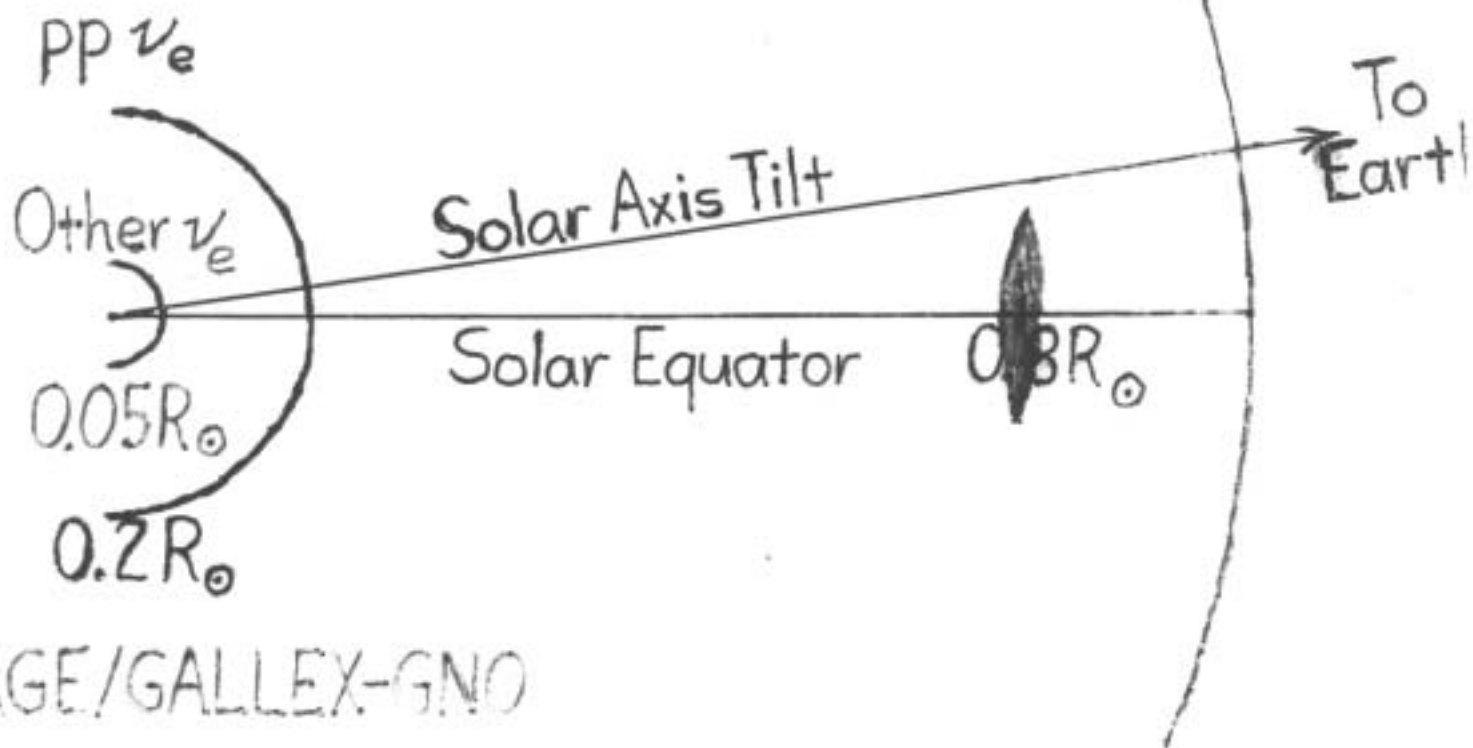
RSFP resonance for  $12.9 \text{ y}^{-1}$  must be at  $r > 0.8 R_{\odot}$

Higher latitudes

Either radiative-zone field or latitudinal wave

Recall  $12.9, 13.6 \text{ y}^{-1}$  frequencies seen out to corona

## Why Two Frequencies?



SAGE/GALLEX-GNO

Mainly pp  $\nu_e$  ( ${}^7\text{Be}$  suppressed) produced at  $\sim 0.2R_{\odot}$

Most  $\nu_e$  modulated by equatorial field rotation (13.6

Homestake

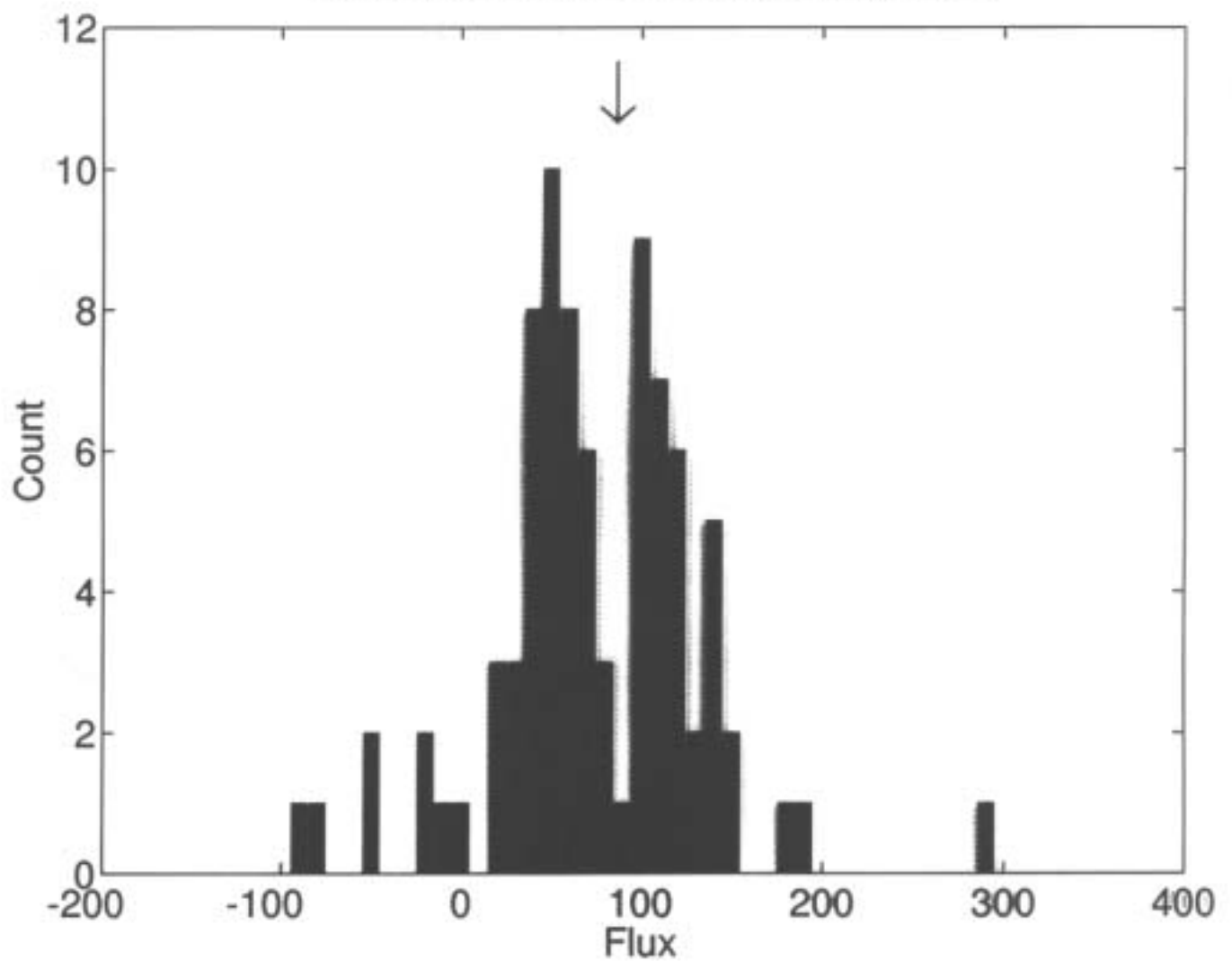
$\nu_e$  made near Sun's center at  $\sim 0.05R_{\odot}$

$7^{\circ}$  axis tilt makes most  $\nu_e$  miss equatorial field

Higher latitude field modulates most  $\nu_e$  as it rotate

Get mainly  $12.9 \text{ y}^{-1}$  rate

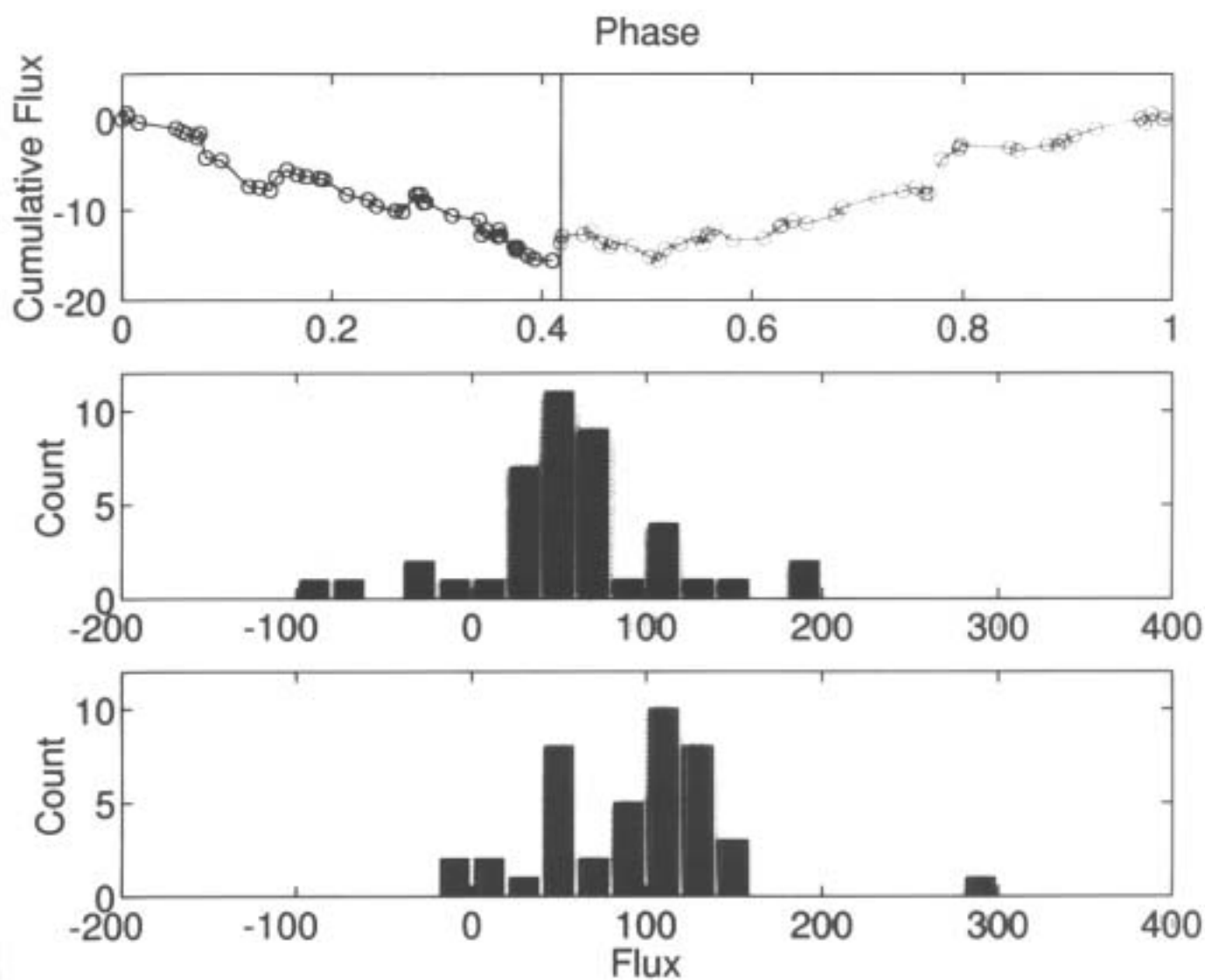
# GALLEX Event Distribution



Bimodality by chance  $< 10^{-4}$

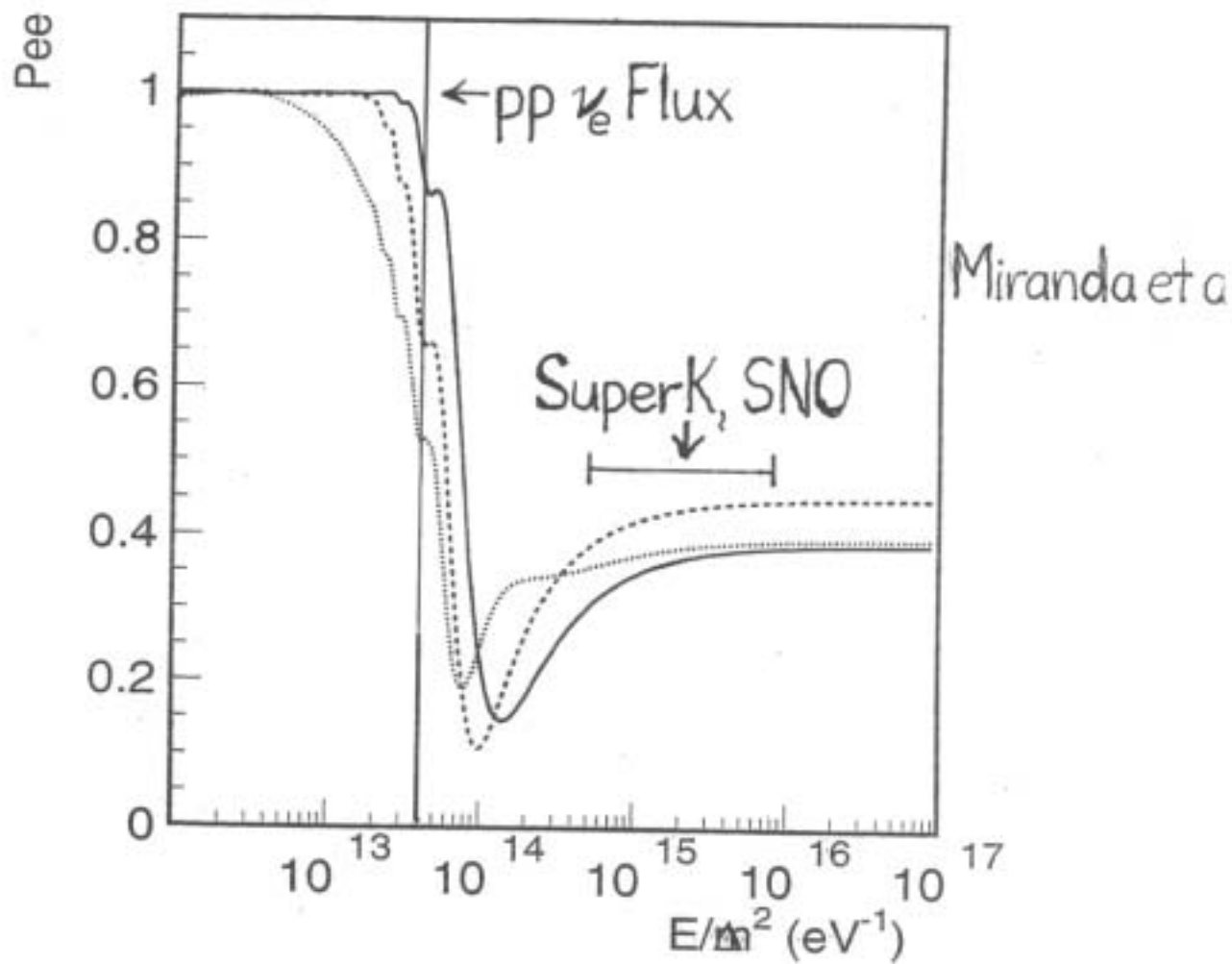


GALLEX data reordered by phase for  $\nu=13.59\text{y}^{-1}$



# Understanding a Bimodal $\nu$ Flux Distribution

$\nu_e^L$  Survival Probabilities for 3  $B_\perp$  Fields vs.  $E_\nu/\Delta m^2$



Dip chosen near 0.86 MeV ( ${}^7\text{Be}$ ) for data fit (pit at  $\Delta m^2/E \sim 10$ )

GALLEX flux dominated by pp  $\nu_e$  ( ${}^7\text{Be}$  suppressed)

Rate determined by spectrum-pit overlap

$B_\perp$  change can give factor of 2 drop in rate (lower peak  $\sim$

Upper peak  $\sim 100$  (down from 128 by  ${}^8\text{B}$ ,  ${}^{15}\text{O}$ , etc.)

## Some Evidence for Rieger Frequencies

Known for 20 years in solar flares, sunspots, etc.

156-day period long known

78- and 52-day periods also seen

Identify with modes (latitudinal motion) seen on earth

$$\nu(l, m) = \frac{2m\nu_R}{l(l+1)}, \text{ for } \nu_R = \text{sidereal frequency} = \text{synodic} + 1$$

Rotating fluid sphere has  $l \geq 2$

For  $l=3$ , expect to see  $\nu_R - 1, \nu_R/6, \nu_R/3, \nu_R/2$  (periods ab

For  $\nu_R = [2.88 \text{ y}^{-1} + 1]$ , get Rieger periods

## Expected Convection-Zone Field Variation

Radiative-zone field can have spatial but not time variation

Convection-zone field should change at solar max. and min. <sup>hep-ph/0202095</sup>

How would neutrinos show this field change with time

If transitions stay adiabatic, field magnitude change unimportant

Shape of field can affect pp neutrino rate (Ga)

Most sensitive: resonance-pit edge (rate;  $13.6 \text{ y}^{-1}$  amplitude)

Change of azimuthal symmetry of  $B_{\perp}$  changes modulation

1989.6 solar maximum to the 1996.8 solar minimum

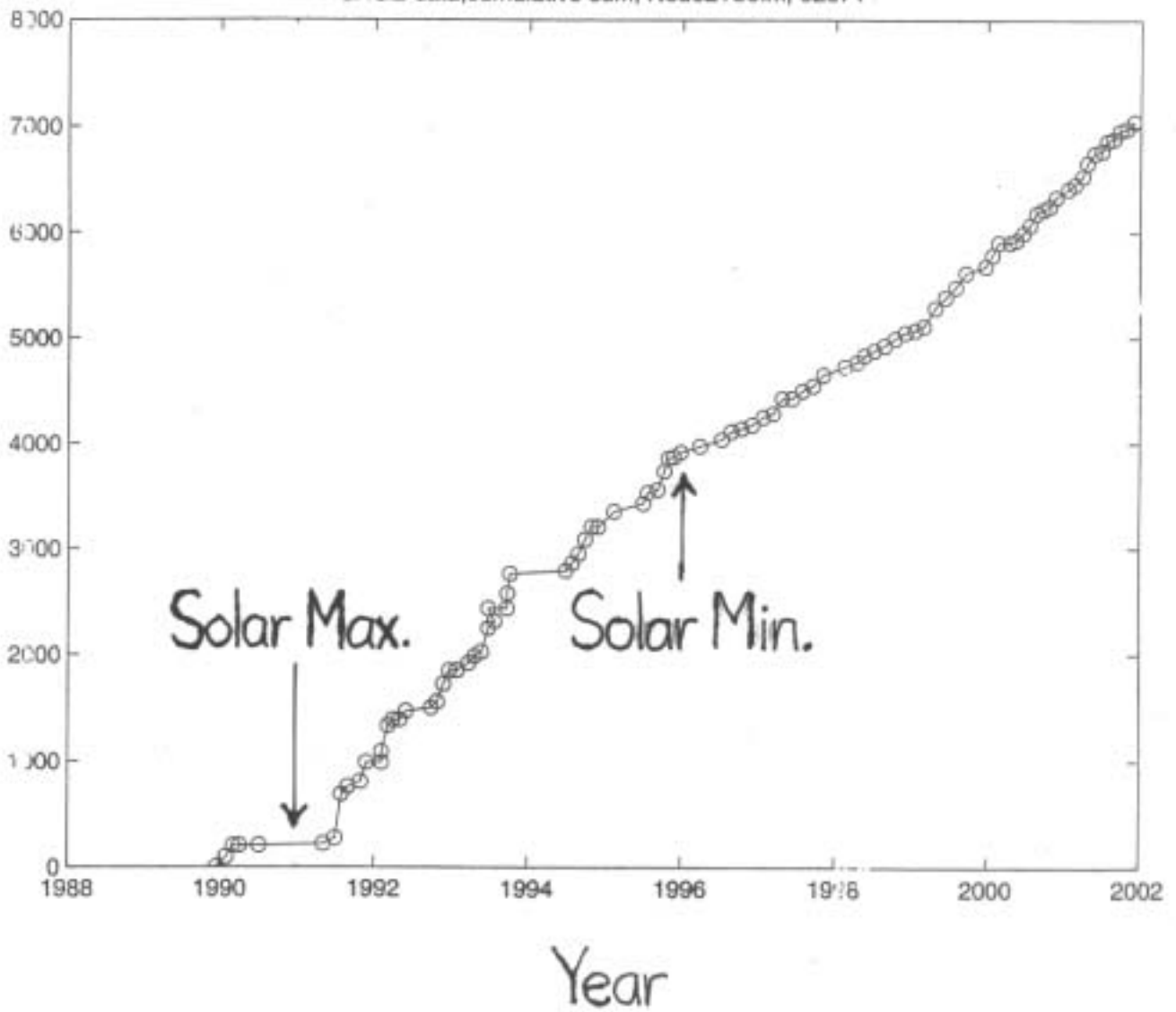
When  $13.6 \text{ y}^{-1}$  is observed in GALLEX

Also when main buildup of  $12.9 \text{ y}^{-1}$  in Homestake

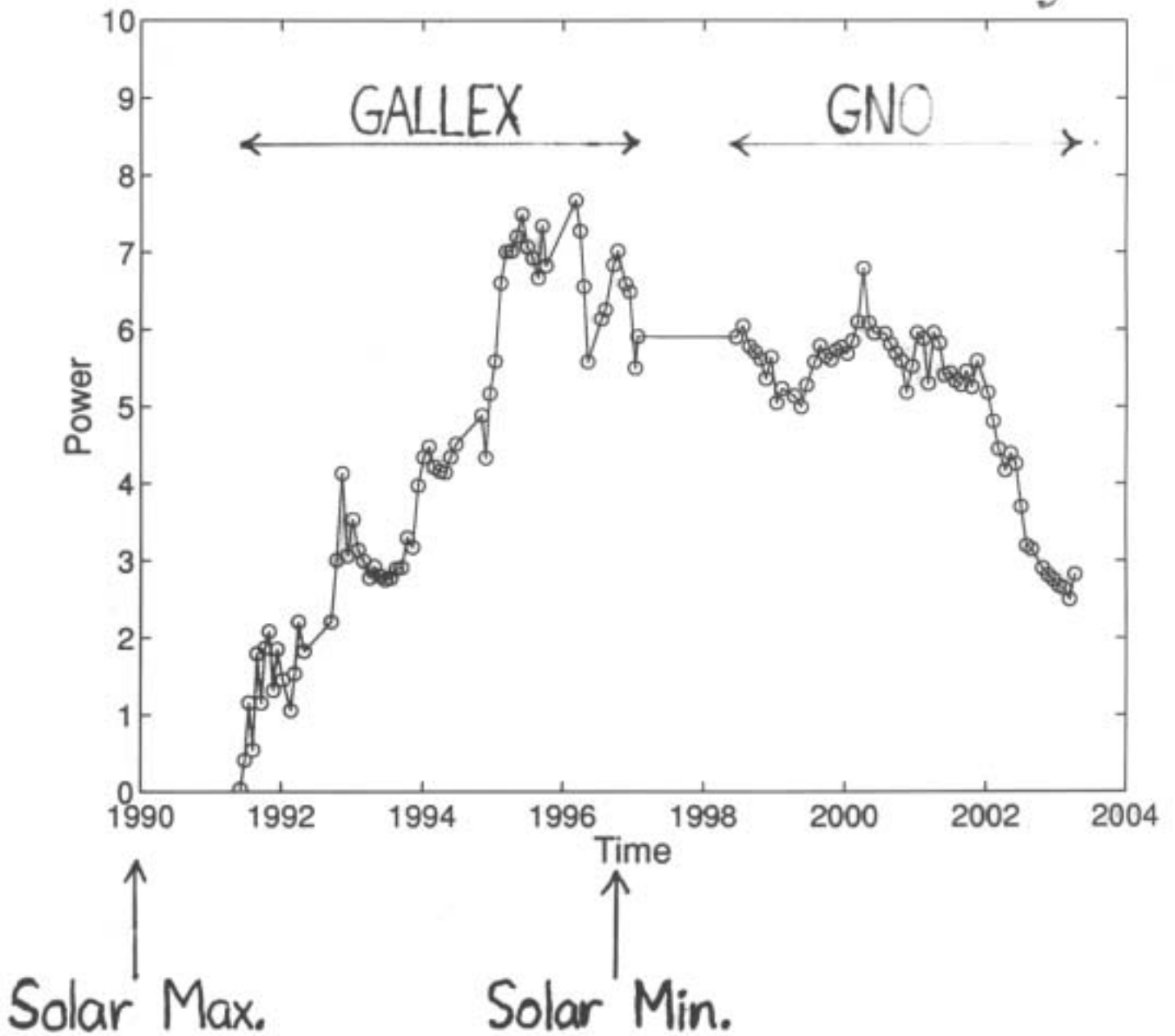
And when those frequencies were seen in SXT X-ray

# SAGE: Cumulative Neutrino Flux

SAGE data,cumulative sum, Neu02T30.m, 020/1P



# GALLEX: Cumulative Power of $\nu=13.59 \text{ y}^{-1}$



## Super-Kamiokande Time Data

Predicting the result

SK started at about the 1996.8 solar minimum

Homestake (like SK, saw mainly  $^8\text{B } \nu$ ) stopped there

SK ran from 5/96 to 7/01, just past solar maximum

No way from other data to predict SK time result

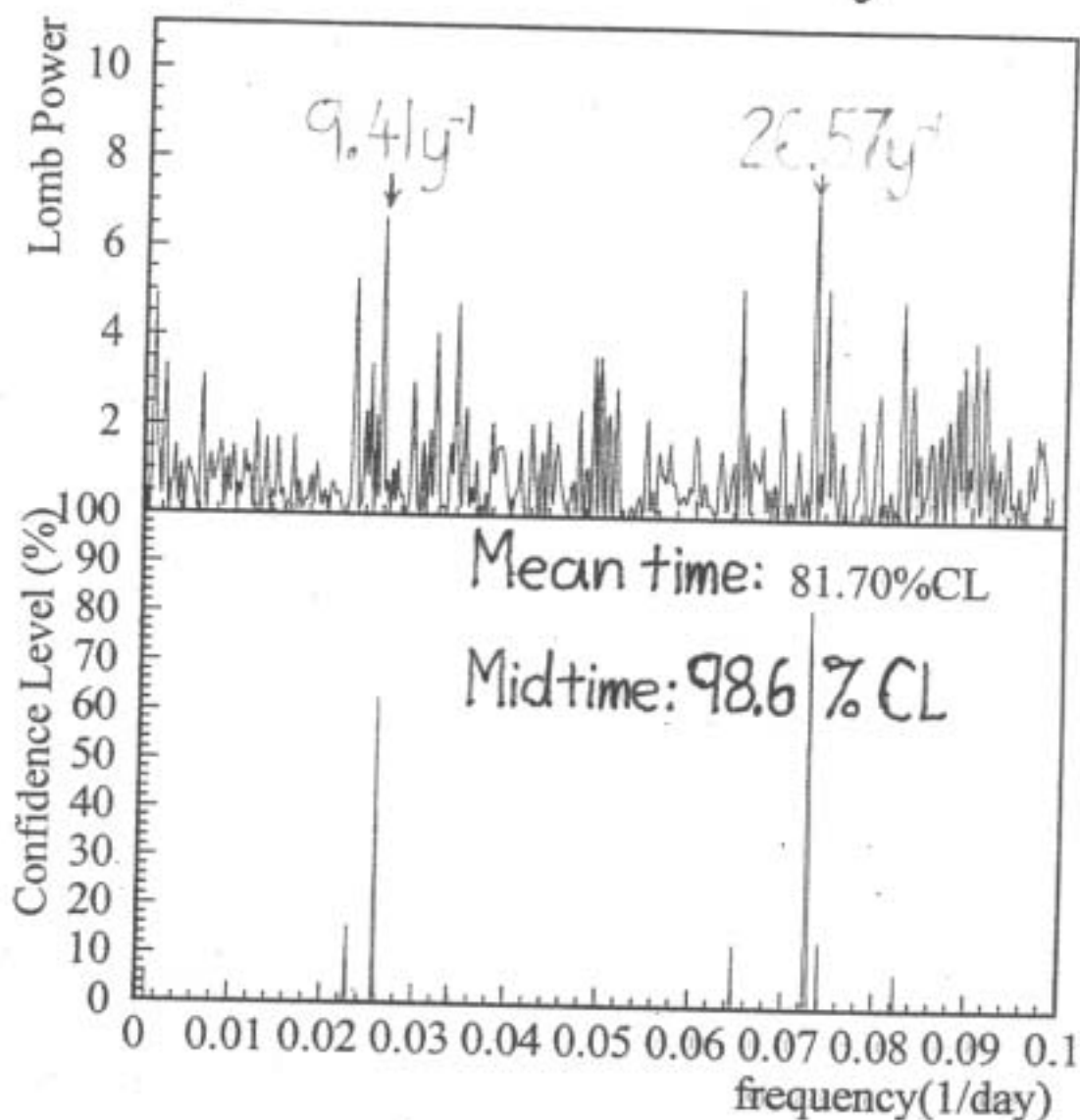
SK data

Too regular binning

10-day data originally; now 5-day data also

hep-ex/0307070

## Super-Kamiokande Analysis (10d)



Lomb method

Really applies to irregularly-spaced data

Places data as delta functions in time

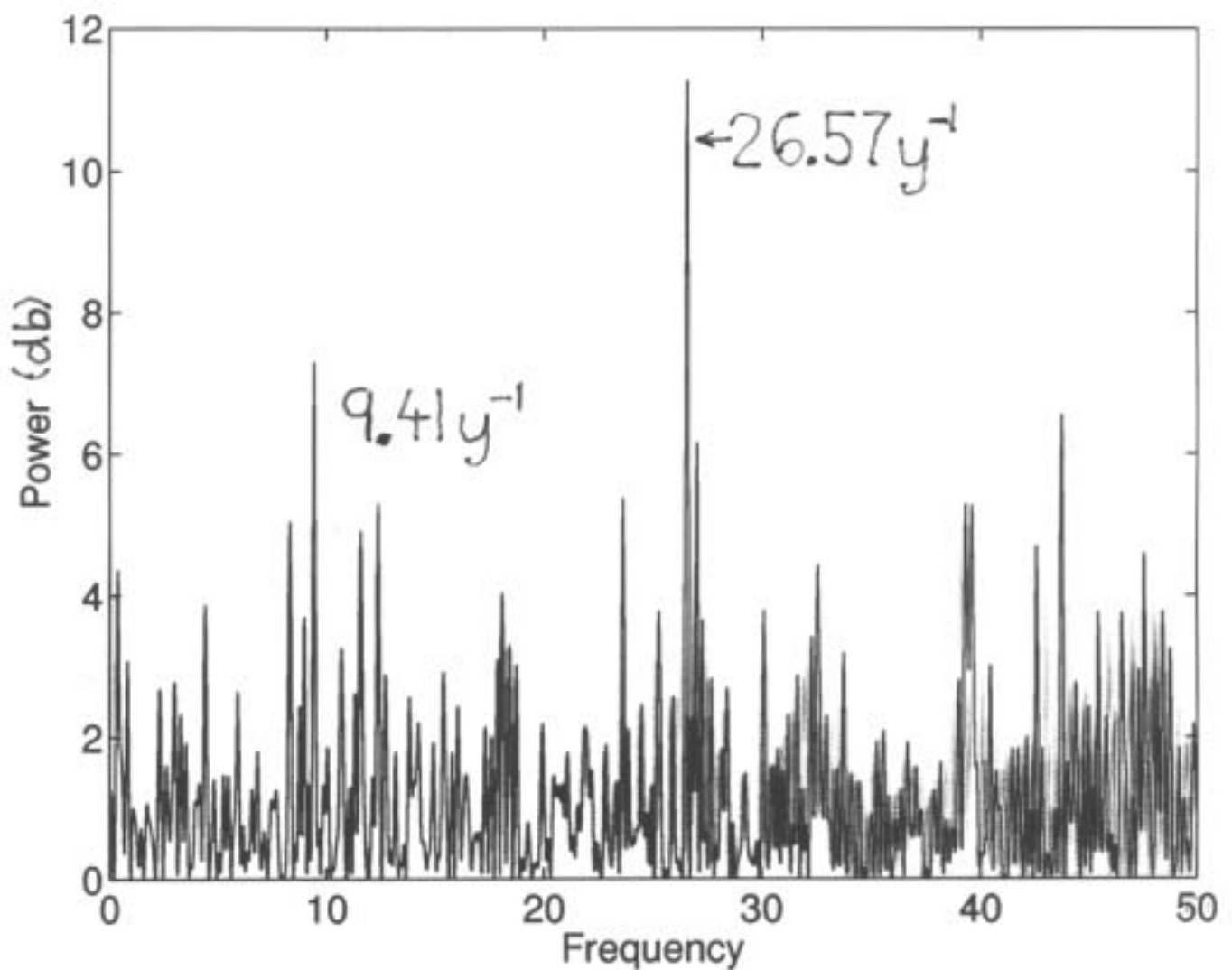
Also used by Milsztajn

Does not include measurement errors



# Likelihood Analysis

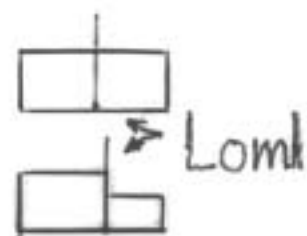
## Super-Kamiokande 10-day Data



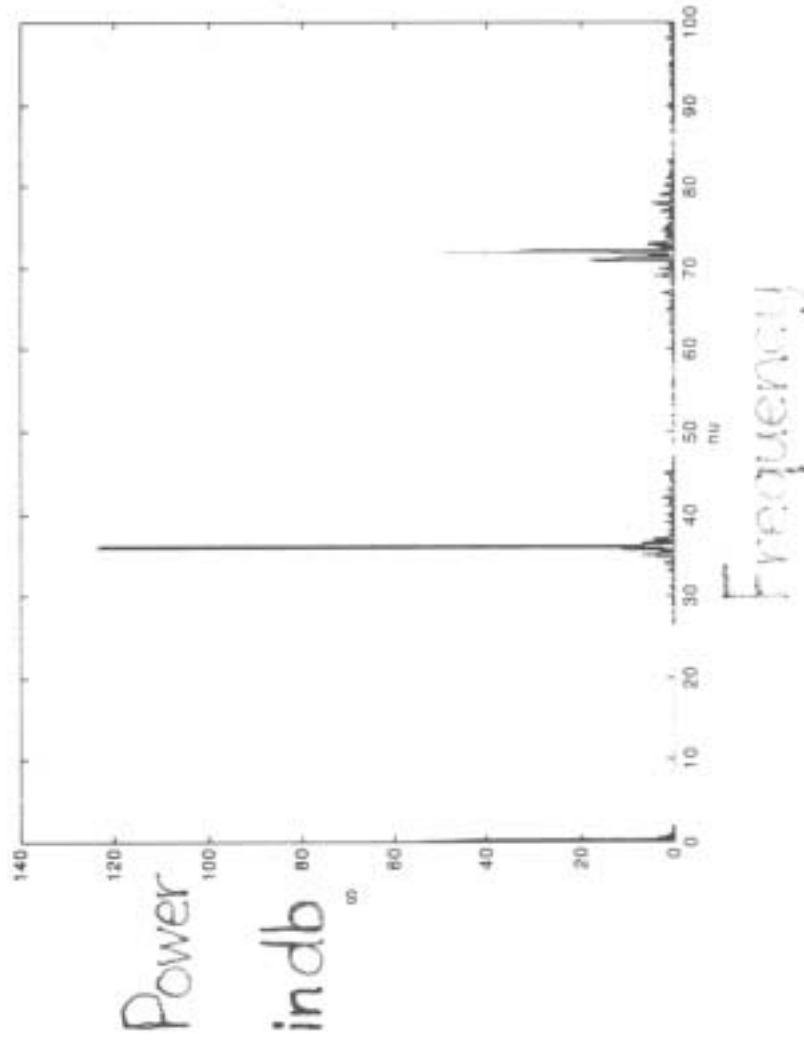
Includes measurement errors

Assumes data taken over whole interval

Later: used start, stop, and mean time



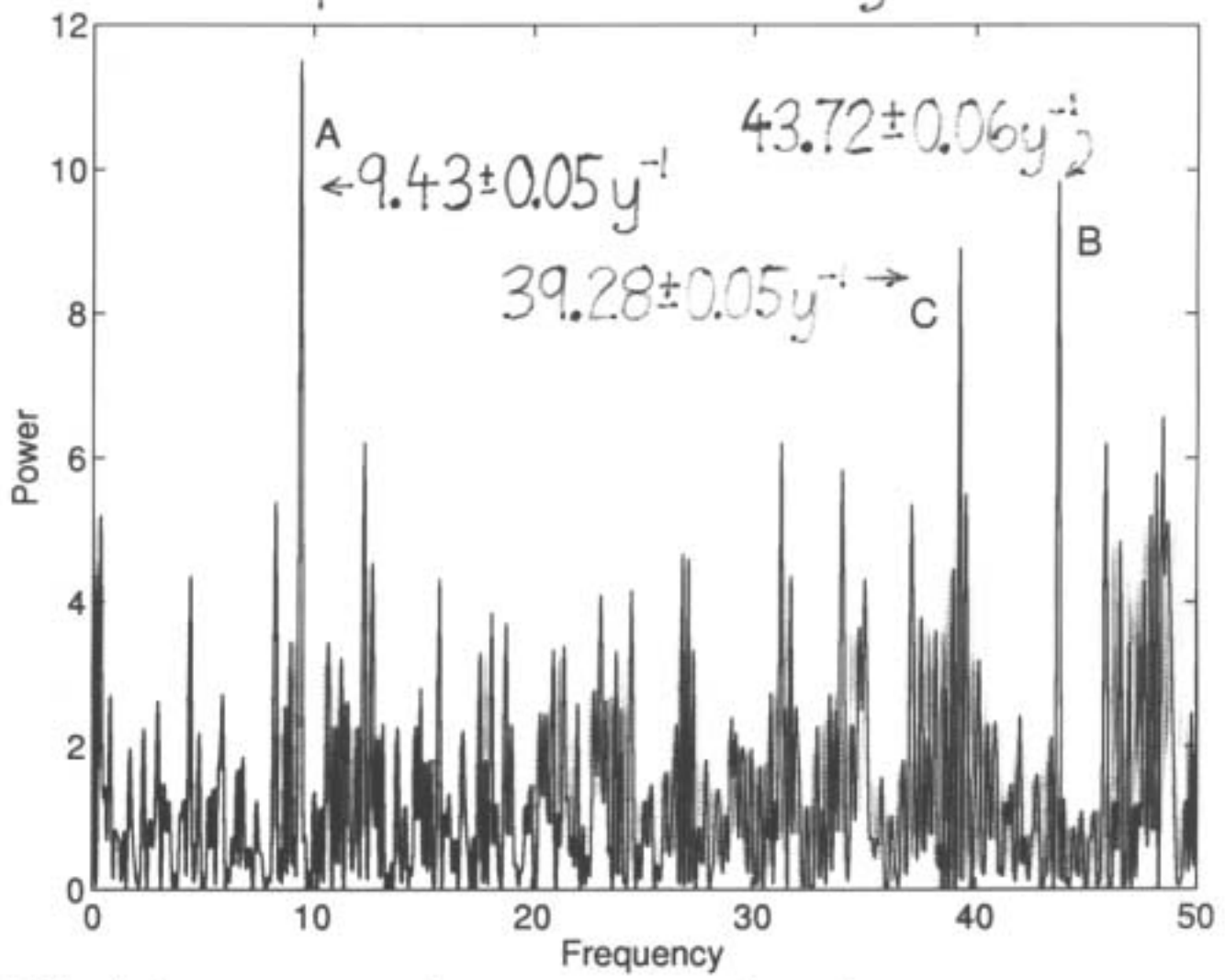
# SUPER-KAMIOKANDE



Power Spectrum formed from Timing of Data Bins  
Strong Periodicity at 35.98 cpy (10.15 days)

$9.41 + 26.57 = 35.98$ , so which is the alias?  
S0209B05

## Super-Kamiokande 5-day Data

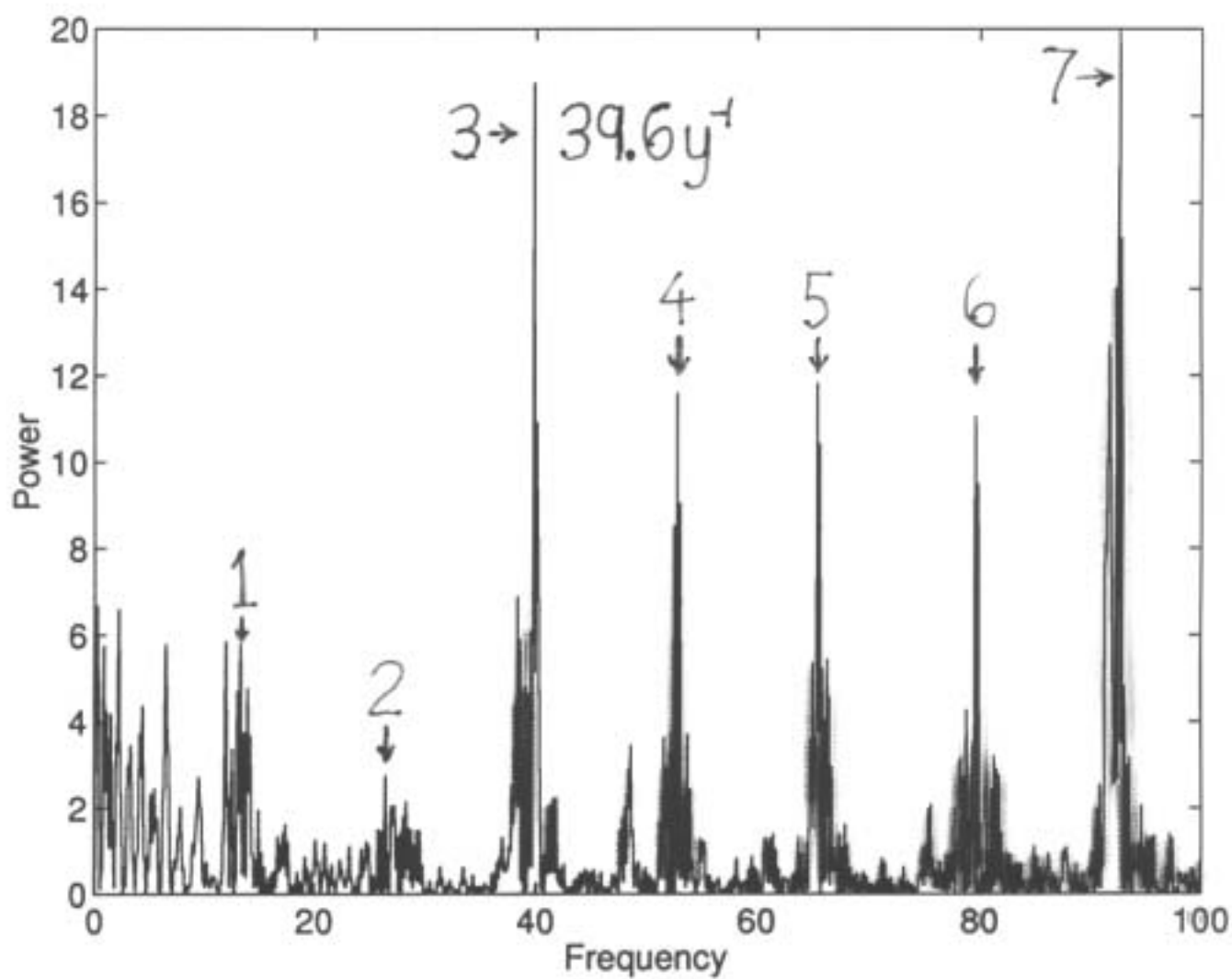


$26.57 \text{ y}^{-1}$  disappeared, so it was the alias

Timing peak at  $72.01 \text{ y}^{-1}$  (5.07 days), so expect  $72.01 - 9.43$

Alias expected =  $62.58$ ; peak at  $62.56 \pm 0.08 \text{ y}^{-1}$  seen

# Solar Magnetic Field in the Super-K Time Interval



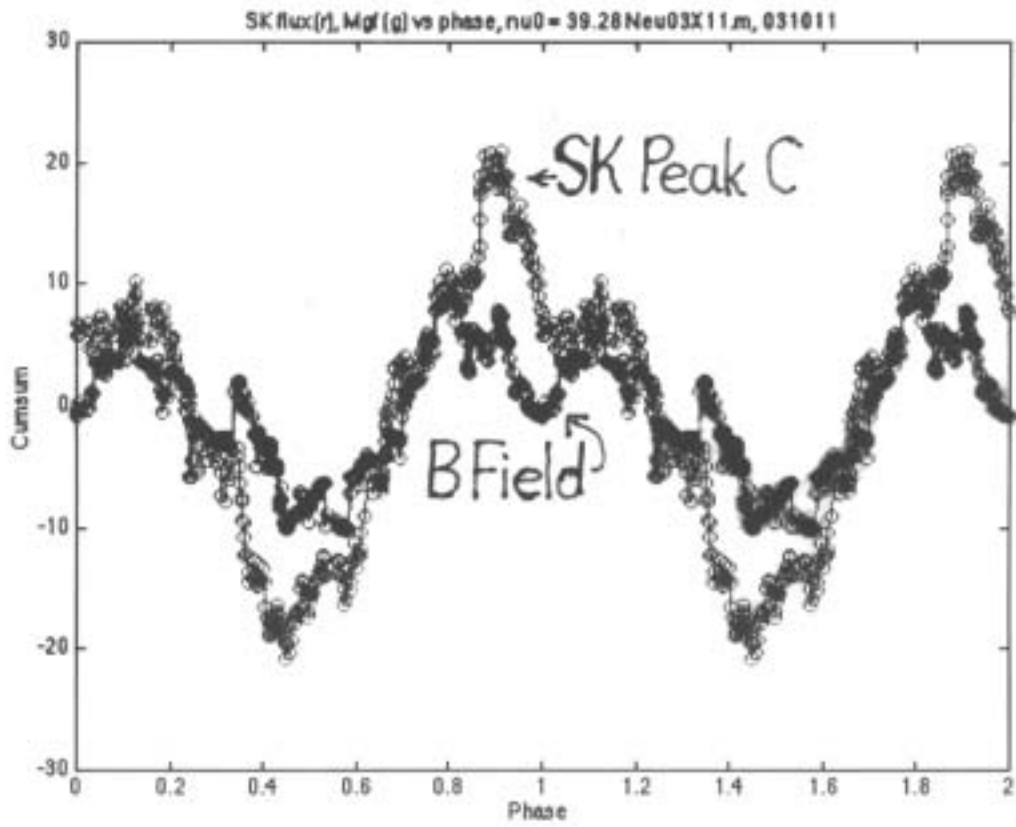
B-Field Rotation Rate  $y^{-1}$

Only  $39.6 y^{-1}$  can be prominent in Super-K 5-day data

$13.20 \pm 0.14 y^{-1}$  rotation rate (peaks 3-7) gives  $39.60 \pm 0.42 y^{-1}$

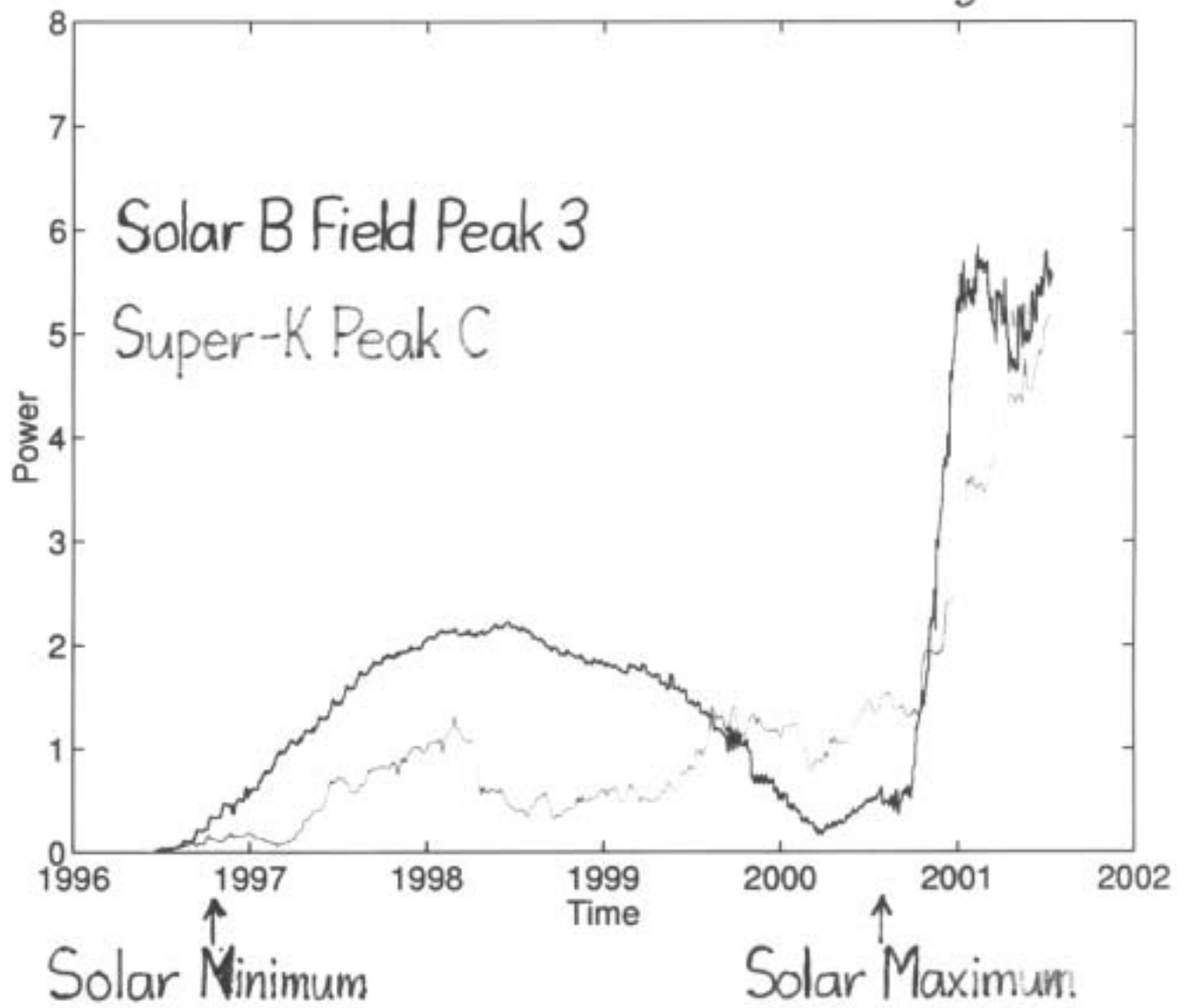
Peak C of power 8.91 in that band at 99.5% CL

# SUPER-KAMIOKANDE, 5-day bins



Phase of  $39.58 \text{ y}^{-1} = \nu$

Cumulative Power of  $\nu=39.58\text{y}^{-1}$



## Origin of Peaks A and B

Retrograde waves (r-modes) move B regions in/out of neutrino p

Oscillation: combination of r-mode frequency, B-field rotatio

$\nu = |m(\nu_R - 1) - \frac{2m\nu_R}{\ell(\ell+1)} \pm m'(\nu_R - 1)|$ , where  $m'$  = azimuthal index of B field

For  $m'=m$ , + sign gives  $\nu(\ell, m) = \frac{2m\nu_R}{\ell(\ell+1)}$  (used previously)

Alias-like frequency for - sign:  $\nu(\ell, m) = 2m(\nu_R - 1) - \frac{2m\nu_R}{\ell(\ell+1)}$

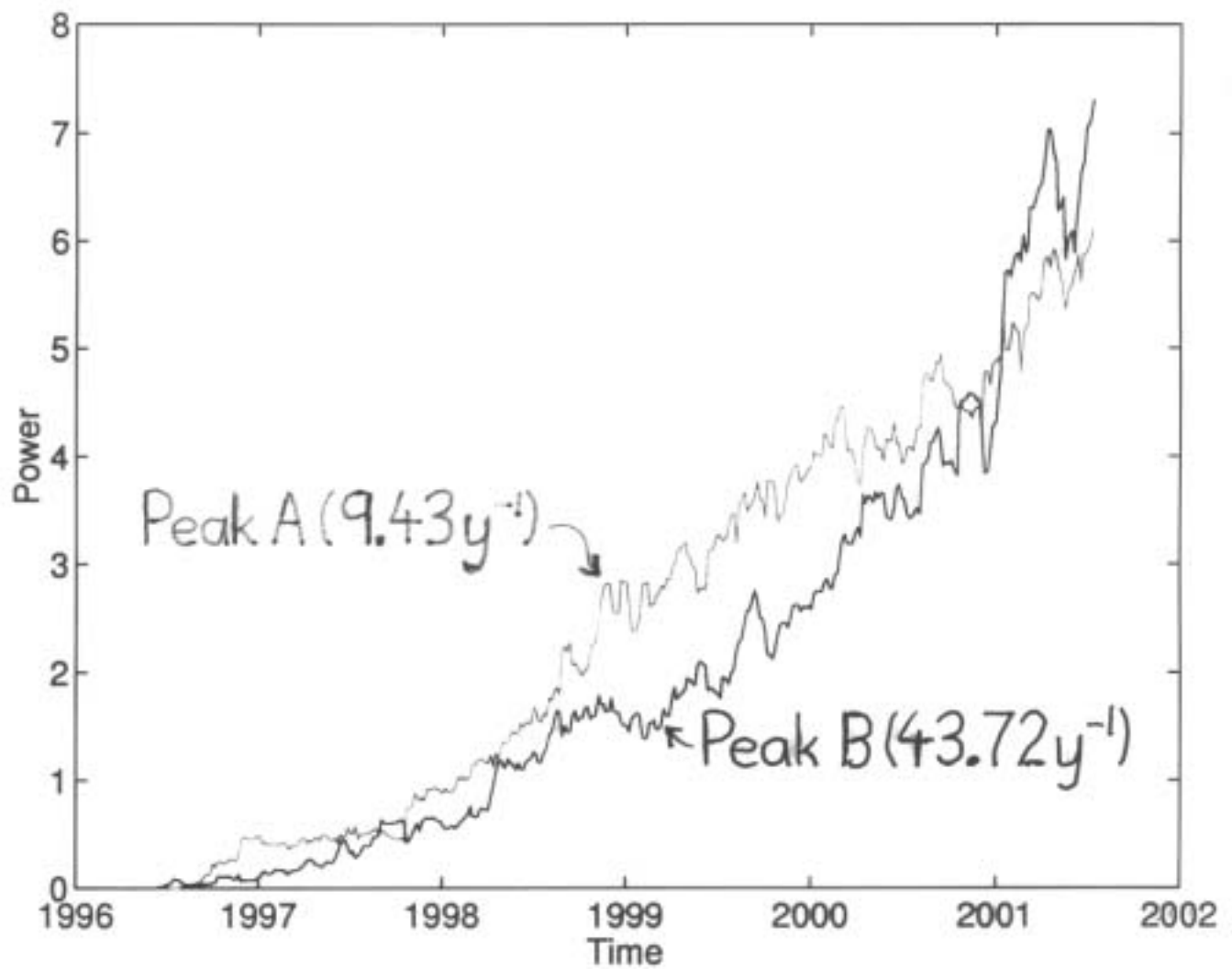
From magnetic field:  $\nu_R = [(13.20 \pm 0.14) + 1] \text{y}^{-1}$

This  $\nu_R$  and  $\ell=m=2$  gives  $9.47 \pm 0.09$  and  $43.33 \pm 0.47 \text{y}^{-1}$

Peak A: 9.43 with power 11.51 matches at 99.98% CL

Peak B: 43.72 with power 9.83 matches at 99.7% CL

## Cumulative Rayleigh Powers



Note difference from Peak C/B Field (different origin)



## Conclusions

Very strong evidence for neutrino flux variations

Variations match known solar frequencies

Producing flux variations if KamLAND is correct

SFP with sterile  $\nu_s$  ( $\Delta m^2 \sim 10^{-5} \text{eV}^2$ ) could improve data fit

RSFP with  $\nu_s$  of  $\Delta m^2 \sim 10^{-8} \text{eV}^2$  improve fit, favored by data

SNO: provide check; possible identification of Majorana

New physics: large transition moment, sterile  $\nu_s$

More details: [hep-ph/0309191v2](https://arxiv.org/abs/hep-ph/0309191v2)